## SEMINÁRIO DE FÍSICA-MATEMÁTICA

Dia 28 de Maio de 2010 (sexta-feira), às 15h15m, na Sala B1-01

"Generalized Schur-Weyl duality and symmetries of integrable spin chains"

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## Abstract

Important properties of quantum integrable systems are related with their symmetry algebra and are defined by a bigger algebra which gives the main relations underlining integrability, the so-called RLL-relations. In the case of isotropic Heisenberg chain of spin 1/2 (XXX-model) the symmetry algebra is Lie algebra  $sl_2$ , the Hamiltonian is an element of the group algebra  $\mathbb{C}[\mathfrak{S}_N]$  of the symmetric group  $\mathfrak{S}_N$ . The fundamental relations of the auxiliary L-matrix entries generate an infinite dimensional quantum algebra – the Yangian  $\mathcal{Y}(sl_2)$ . The actions of  $sl_2$  and  $\mathfrak{S}_N$  on the space of states  $\mathcal{H} = \otimes_1^N \mathbb{C}^2$  are mutually commuting (the Schur-Weyl duality). Extension of this scheme to a particular case of the Hecke algebra – the Temperley-Lieb algebra, instead of the symmetric group and corresponding new quantum algebras we proposed previously. Here we consider a further generalization – the case of the Birman-Wenzl-Murakami algebra. In many cases the two algebras give multiplicity free decomposition of the space of states into irreducible representations of these algebras. As a consequence one gets the structure of the multiplets and degeneracy of the spectra of the Hamiltonians.

Local:

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